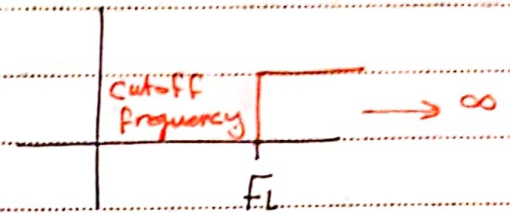


# HPF (High pass filter) :-

It lets any signal with frequency ( $f > f_L$ ) to pass through this filter.



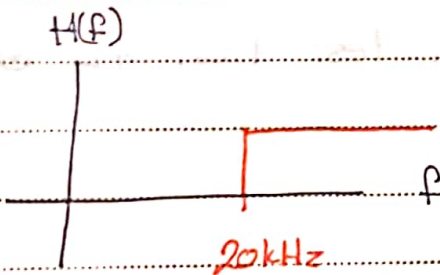
Ex :- let we have a HPF with Cutoff frequency ( $f_L = 20 \text{ kHz}$ ) determine which signals can pass through this filter :-

1)  $X(t) = 2 \cos(30k\pi t)$

2)  $y(t) = 4 \sin(50\pi t)$

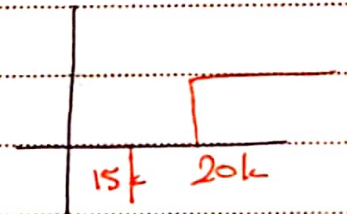
3)  $z(t) = \sin^2(15k\pi t)$

Solution :-



1)  $X(t) = 2 \cos(2\pi(15000)t)$

\* this signal can't pass through the filter  
 $f = 15 \text{ kHz} < f_L$



2)  $y(t) = 4 \sin(2\pi(25000)t)$

$f > f_L$

(في الامتحان نوضح حسب)

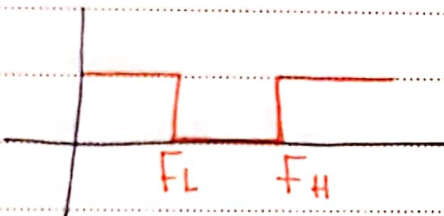
the HPF can accept the signal.

$$\begin{aligned} 3) z(t) &= \sin^2(15k\pi t) \\ &= \frac{1}{2} + \frac{1}{2} \sin(30k\pi t) \\ &= \frac{1}{2} + \frac{1}{2} \sin(2\pi(15000)t) \end{aligned}$$

$\therefore f = 15 \text{ kHz} \rightarrow F < F_L \rightarrow$  this filter reject this signal.

# BSF (Band Stop Filter) :-

\* يمرر جميع الإشارات ما عدا التي  
تقع بين  $F_L, F_H$



\* it pass all signals with frequencies less than  $F_L$  or higher than  $F_H$ .

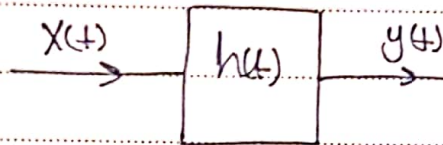
$F_L < f < F_H \rightarrow$  X Can't pass.

\*

\*

\*

## # Transmission through linear system :-



$$y(t) = X(t) \overset{\text{convolution}}{*} h(t)$$

by using fourier transform  $\Rightarrow Y(f) = H(f) \cdot X(f)$

$$h(t) = \frac{A}{\downarrow} \delta(t - t_0)$$

\* A represent the attenuation factor.

\*  $(t - t_0)$   $\rightarrow$  to represent that the signal need time to propagate from transmitter to receiver.

received power  $P_r \propto \frac{1}{d^n}$   $n = 2 \rightarrow 6$   $\rightarrow$   $n$  زائد  $n$  قبل الإشارة

$$P_r \propto \frac{1}{d^n}$$

$n = 2 \rightarrow 6$   $\rightarrow$   $n$  زائد  $n$  قبل الإشارة

$P_r$  :- received power.

$d^n$  :- distance between a transmitter and a destination.

∴ As the distance (between transmitter increasing) the attenuation factor increasing and so the signal decrease.

$$Y(f) = H(f) \cdot X(f) \rightarrow h(f) = A \delta(f - f_0)$$

$$\therefore H(f) = A e^{-j2\pi f t_0}$$

$$|Y(f)| = |H(f)| \cdot |X(f)|$$

$$= |A| \cdot |X(f)|$$

$$\downarrow$$

$$\therefore |H(f)| = \sqrt{(H(f))(H(f))^*}$$

$$= \sqrt{A e^{-j2\pi f t_0} \cdot A e^{j2\pi f t_0}}$$

$$= \sqrt{A^2} = |A|$$

≡ Signal Energy :-

$$\mathcal{E}_x = \int_{-\infty}^{\infty} |x(t)|^2 dt = \int_{-\infty}^{\infty} |X(f)|^2 df \rightarrow X(f) \text{ is the Fourier transform of } x(t).$$

energy contained in a signal x.

\* Energy spectral density (ESD) :-

$$\Psi_x(f) = |X(f)|^2$$

↳ How the signal's energy looks like in frequency domain.

$$\mathcal{E}_x = \int_{-\infty}^{\infty} \Psi_x(f) df$$

Subject :

5 / 3 / 2019.

$$y(f) = H(f) \cdot x(f)$$

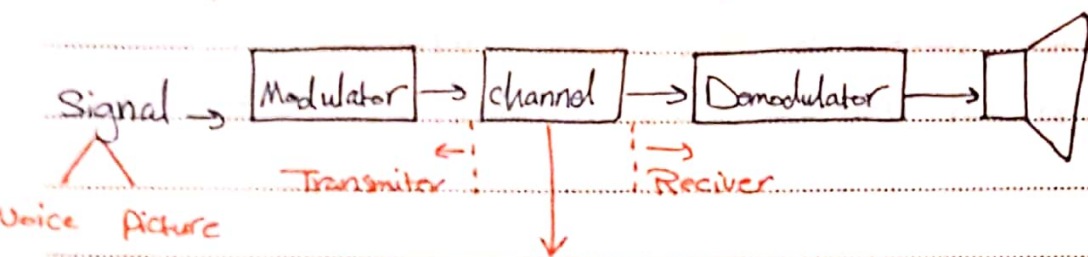
$$|y(f)|^2 = |H(f)|^2 \cdot \underbrace{|x(f)|^2}_{\text{ESD @ channel input}}$$

ESD @ channel input.

$$\underbrace{\psi_y(f)}_{\text{ESD @ the receiver output}} = |H(f)|^2 \psi_x(f)$$

ESD @ the receiver output.

## # Amplitude Modulation (AM) :-



medium between a given transmitter and its receiver.

\* **Modulation** :- process that we use such that we can easily transmit and receive a signal.

معالجة الإشارات لجعلها قابلة للنقل

\* in analog communication two main kinds of modulation are available :-

1) Amplitude modulation (AM) :- 540 kHz  $\rightarrow$  1600 kHz

2) Frequency modulation (FM) :- 88 MHz  $\rightarrow$  108 MHz

\* We need three parameters to represent a sinusoidal signal :-  
1. amplitude 2. Frequency 3. phase.

$$X(t) = \underbrace{A}_{\text{amplitude}} \cos(\underbrace{2\pi f t}_{\text{Frequency}} + \underbrace{\phi}_{\text{phase}})$$

|                                                                            |                                                                              |                                                           |
|----------------------------------------------------------------------------|------------------------------------------------------------------------------|-----------------------------------------------------------|
| by varying the amplitude of signal<br>$\downarrow$<br>amplitude modulation | by varying the frequency of a signal<br>$\downarrow$<br>Frequency modulation | by varying the phase<br>$\downarrow$<br>phase modulation. |
|----------------------------------------------------------------------------|------------------------------------------------------------------------------|-----------------------------------------------------------|

1) to reduce the effective length of the used antennas.

$$L = \frac{\lambda}{2}$$

$$\lambda = \frac{c}{f} \rightarrow \begin{matrix} c = \text{speed of light in free space} \\ c = 3 \times 10^8 \end{matrix}$$

$$C = 3 \times 10^8$$

(without modulation)

\* تردد موت الانسان البر من 3.44/2

$$\therefore \text{let } f = 3 \text{ kHz} \rightarrow \lambda = \frac{3 \times 10^8}{3 \times 10^3} = 1 \times 10^5 \text{ m}$$

← في ٥٠ الى ٢٠٠ antenna (جول) 100 km

\* by using modulation, the voice signal with (3kHz) is carried by another signal such that the carrier signal has a frequency between 540 kHz  $\rightarrow$  1600 Hz in AM.

or  $88 \text{ MHz} \rightarrow 108 \text{ MHz}$  in FM.

AM signal with  $f = 1 \text{ MHz} \rightarrow \lambda = \frac{3 \times 10^8}{1 \times 10^6} = 300 \text{ m} \rightarrow L = 150 \text{ m}$

Paulo Glickestein

FM signal with  $f = 100 \text{ MHz} \rightarrow \lambda = \frac{3 \times 10^8}{1 \times 10^8} = 3 \text{ m} \rightarrow L = 1.5 \text{ m}$   
 - ليتم استقباله بواسطة هوائي صغير.

لِيَتَّخِذَ لِمَا قَانَ صَافِيَةً -

► Subject :

7/3/2017.

\* why ~~the~~ to modulate a signal ?

1) to reduce the effective length of the used antennas.

2) to allocate a unique frequency range for each application.

AM : - 540 kHz  $\rightarrow$  1600 kHz.

FM : - 88 MHz  $\rightarrow$  108 MHz.

T.V : - 52 MHz  $\rightarrow$  88 MHz.

mobile : - 900 MHz.

Communication 1800 MHz.

2100 MHz.

\* antenna لا يعمل على frequency لا يولد لا \*